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Impact of temperature flattening on microtearing turbulence

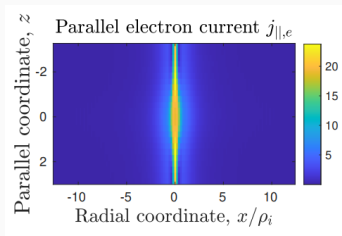
Zonal flow drive via turbulent self-interaction

Impact of collisions on ITG transport

Gyrokinetic study of Toroidal Alfvén Eigenmode (TAE) turbulence

Motivation for microtearing study

- Microtearing modes are characterized by
 - Radially-narrow parallel electron current layers driven resonantly at the rational surfaces
 - Associated magnetic islands
- Perpendicular magnetic field perturbations can lead to transport loss
- A cause for concern in large high-beta spherical tokamaks like STEP
- Identifying saturation mechanisms is therefore crucial
- Start with a simple microtearing set-up



Temperature flattening in microtearing turbulence

[Ajay C. J. et al, Nucl. Fusion, 2023]

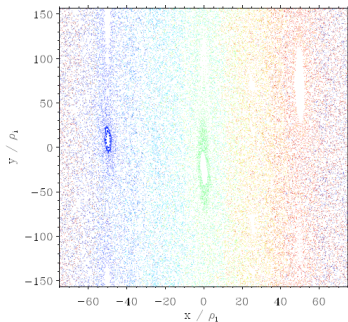
- Stationary magnetic islands persist near low-order rational surfaces
- Swift motion of electrons along the perturbed (magnetic island) field lines

→ periodic radial excursions

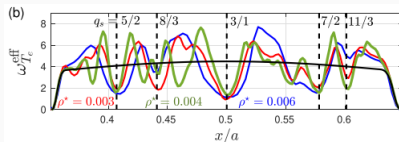
→ ‘short-circuit’ of the perturbed T_e profile

→ T_e flattening at rational surfaces.

$$\frac{\partial \langle \delta T_{e,\parallel} \rangle_y}{\partial t} \approx -\frac{me}{n_0} \frac{1}{\ell} \frac{\partial}{\partial x} \sum_{k_y} i k_y \hat{q}_{e,\parallel,k_y} \hat{A}_{\parallel,k_y}^*$$



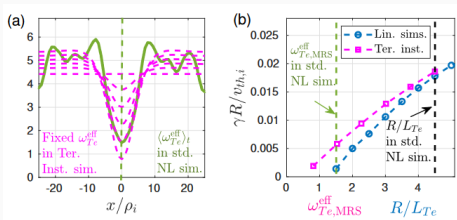
(a) Poincaré plot of magnetic field lines intersecting outboard midplane.



(b) Effective T_e gradient plotted vs radial coordinate in global simulations.

Local Te flattening decreases microtearing drive

- Extremely thin current layer \rightarrow very localised Te flattening
- The drive mechanism for microtearing is also localised at the rational surfaces
- Perform a 'tertiary-instability-like' analysis with a fixed corrugated background Te gradient mimicking the nonlinear simulation.



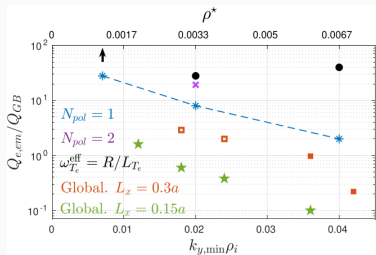
- As Te gradient falls below the critical gradient locally near rationals, the linear mode stabilises \Rightarrow Saturation mechanism.

System size scaling

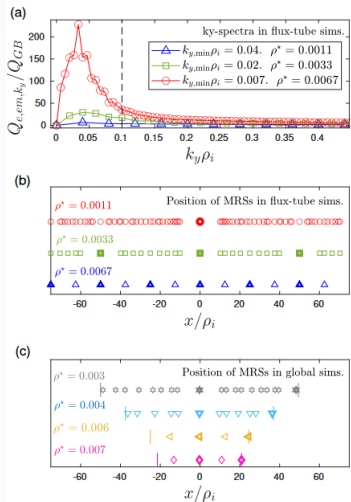
[Ajay C. J. et al, Nucl. Fusion, 2023]

- Increasing system size \rightarrow increasing toroidal number density
- A model for heat flux-scaling \Rightarrow MRSs where microtearing diffusivity are localised becomes radially dense. \Rightarrow Lower flux

$$Q_e \propto 1/(1 - w/\rho^*)$$



Microtearing heat flux plotted vs ρ^* .



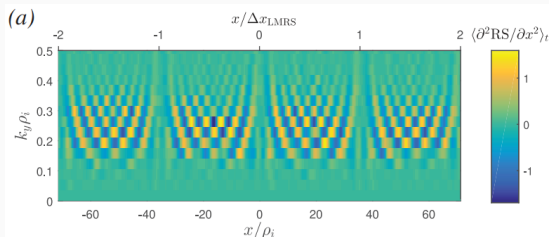
(a) ky spectra of heat flux for the flux-tube simulations. Radial position of MRSs for all $k_y\rho_i \leq 0.1$ for (b) flux-tube and (c) global simulations.

Self-interaction of microinstability eigenmodes and zonal flow drive

[Ajay C. J. et al, Journ. Plasma Phys., 2020]

- Self-interaction: Modes extended along the magnetic field lines can ‘bite-their-tails’ at mode rational surfaces and nonlinearly interact with themselves
- Leads to a zonal flow drive distinct from modulational instability.

$$\text{ZF} \sim \sum_{k_y} \text{RS}_{k_y}$$



- Reynolds stress drive from each toroidal mode is temporally incoherent/decorrelated with each other
⇒ fluctuating zonal flow → plays an important role in ITG saturation.

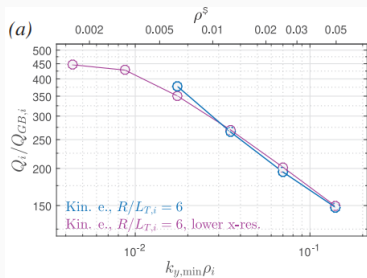
System size scaling in ITG turbulence

[Ajay C. J. et al, Journ. Plasma Phys., 2020]

- Incoherent decorrelated zonal flow drive from each toroidal mode.

$$\text{ZF} \sim \sum_{k_y} R S_{k_y}$$

- A statistical analysis shows decrease in zonal flow levels with increasing toroidal number density or an increase in system size
⇒ Increase in gyro-Bohm normalised flux-levels with increasing system size.

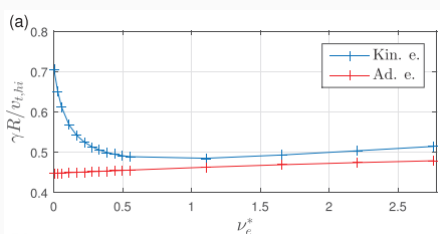


(a) ITG Heat flux plotted vs ρ^s .

Effect of collisions on ITG

[Ajay C. J. et al, Phys. Plasmas, 2021]

- With kinetic electrons, ITG linear growth rate decreases with increasing collisionality.



(a) Linear growth rate of ITG vs collisionality

- Collisions increase the trap-pass conversion of electrons.
⇒ All electrons begin to respond adiabatically.
- Nonlinear heat flux decreases with collisionality.
⇒ A consequence of linear growth rate decrease as confirmed by a quasi-linear analysis.

Toroidal Alfvén Eigenmode destabilisation by fast ions

[Ajay C.J. et al, AIP Advances 14, 075120 (2024)]

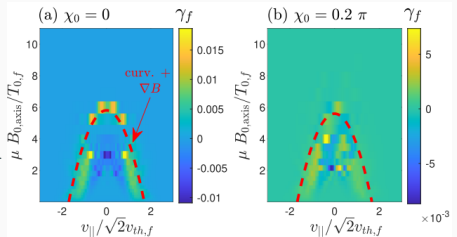
- Free-energy based growth rate γ_j for each species

$$\gamma = \sum_j \gamma_j = \frac{1}{E} \sum_j \frac{\partial E_j}{\partial t},$$

where

$$E = \sum_j \text{Real} \left[\int dz d\mu dv_{\parallel} \frac{\pi B_0 n_0 T_0}{2 f_{0,j}} (\Phi^* + f_{1,j}^*) f_{1,j} \right].$$

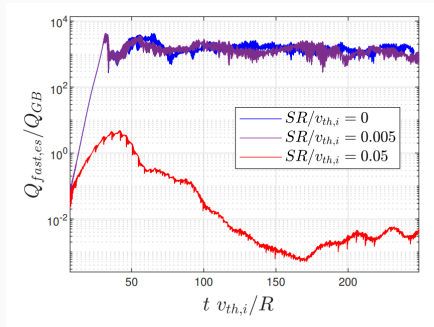
- TAEs destabilised by the resonance of curvature and ∇B drift of fast-ions with the TAE.
- Resonance possible only where the $\text{curv} + \nabla B$ drift direction and TAE phase fronts align (at outboard midplane).
- Finite ballooning angle stabilises the mode
 \rightarrow equilibrium flow-shear can be a possible saturation mechanism.



Fast-ion free energy growth rate for two values of ballooning angle χ_0

Toroidal Alfvén Eigenmode saturation

- Flux-tube simulations of TAE turbulence give unphysically high values of heat flux.
- Equilibrium flow-shear (found in typical tokamaks) indeed suppresses TAE turbulence.
- No TAE self-saturation-mechanisms identified in the local gyrokinetic picture.
- A global treatment is necessary where profile flattening of fast-ion pressure helps in saturation.
- The nonlinear excitation of electron diamagnetic direction TAEs and their beating with the ion-diamagnetic TAEs
→ large oscillations in observable quantities.



TAE heat flux plotted vs time for various values of equilibrium flow-shear.

- Integrated modelling of L-H transition and pedestal physics - Just started!
- Analyse gyrokinetic results to deduce basic physics
- Come up with reduced models
- Apply in an integrated modelling suite like JINTRAC.

Thanks!